

# Advanced Mechanical Performances of Polymer Composites

Hung-Jue Sue<sup>1</sup>, Iman Borazjani<sup>2</sup> and Lei Fang<sup>1,3</sup>

<sup>1</sup>Department of Material Science and Engineering, Texas A&M University, College Station, TX 77843-3255

<sup>2</sup>Department of Mechanical Engineering, Texas A&M University, College Station, TX 77843-3255

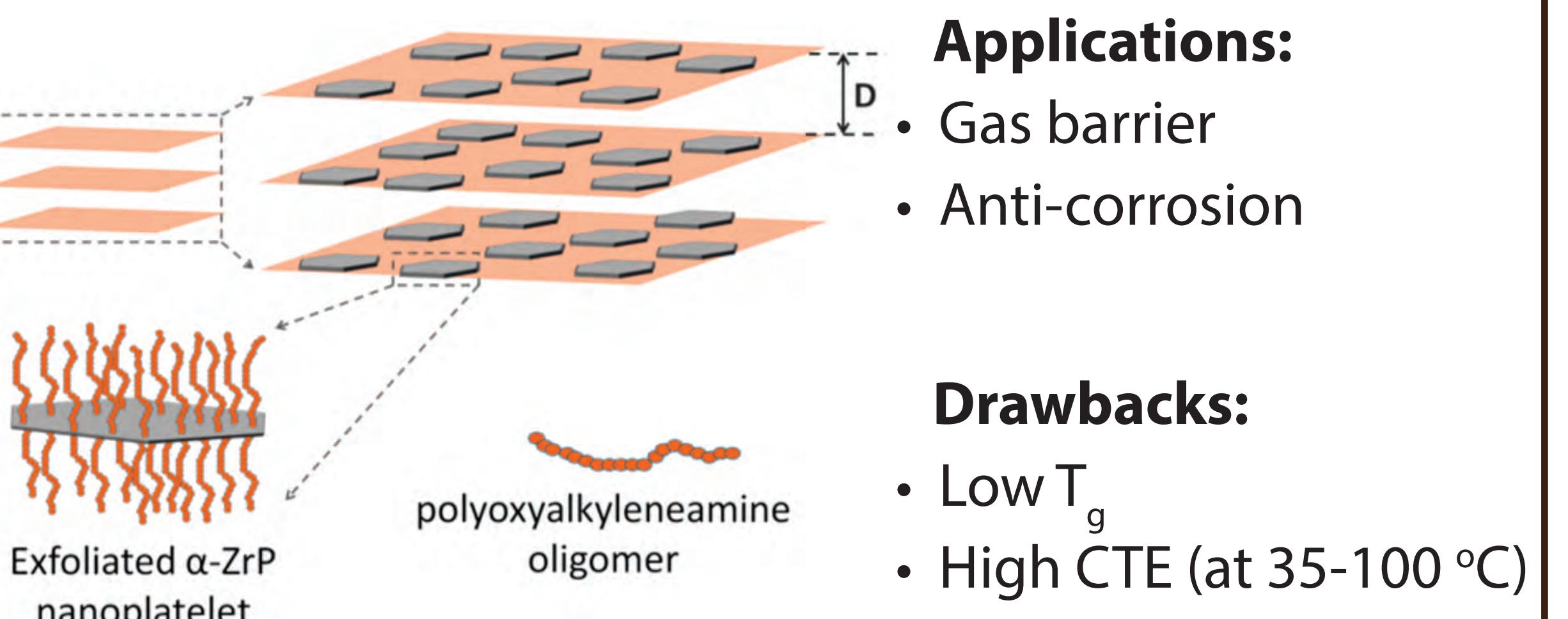
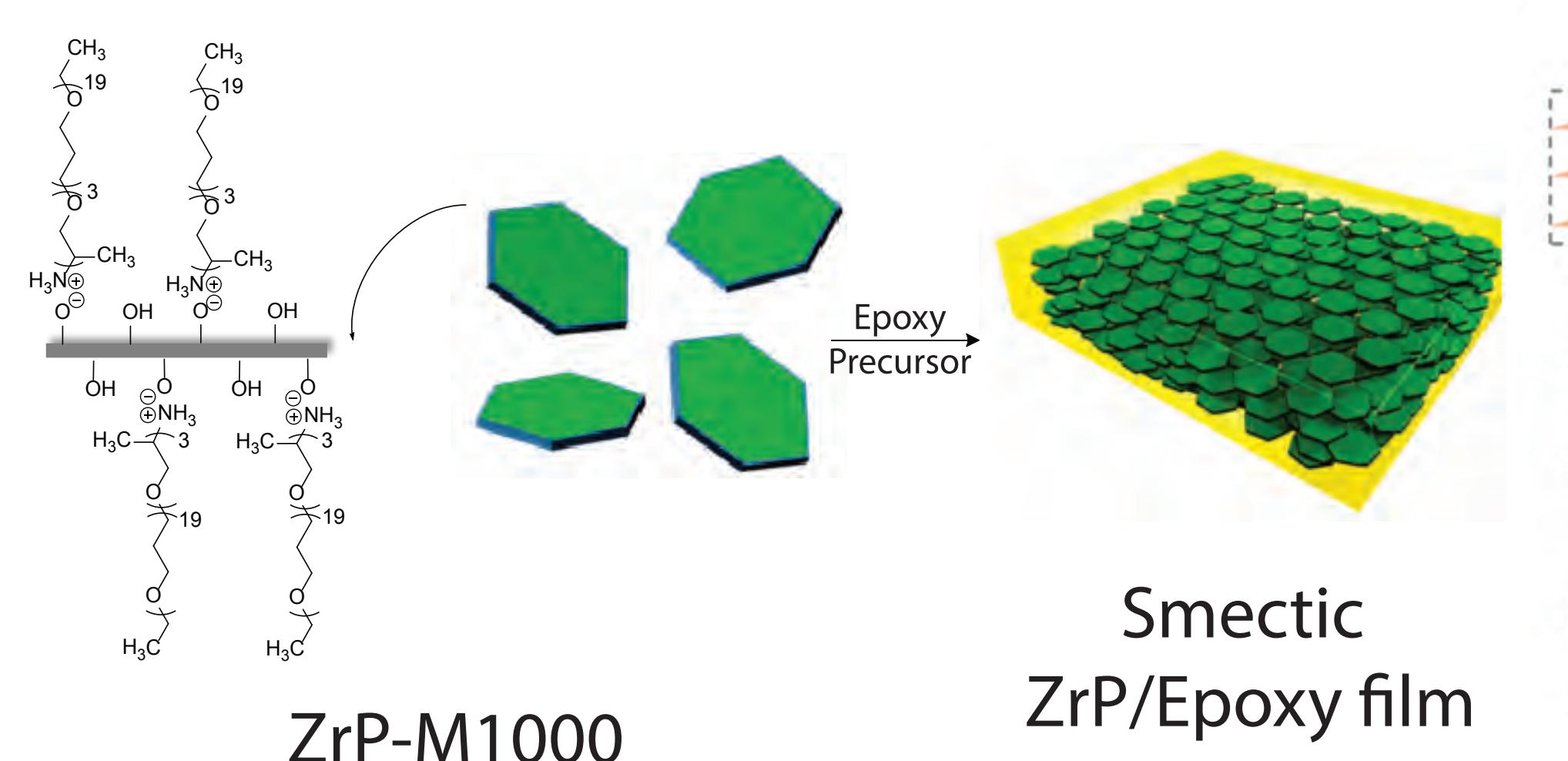
<sup>3</sup>Department of Chemistry, Texas A&M University, College Station, TX 77843-3255



T3: TEXAS A&M TRIADS FOR TRANSFORMATI  
A President's Excellence Fund Initiative

## Epoxy/ZrP Nanocomposites

### Motivation

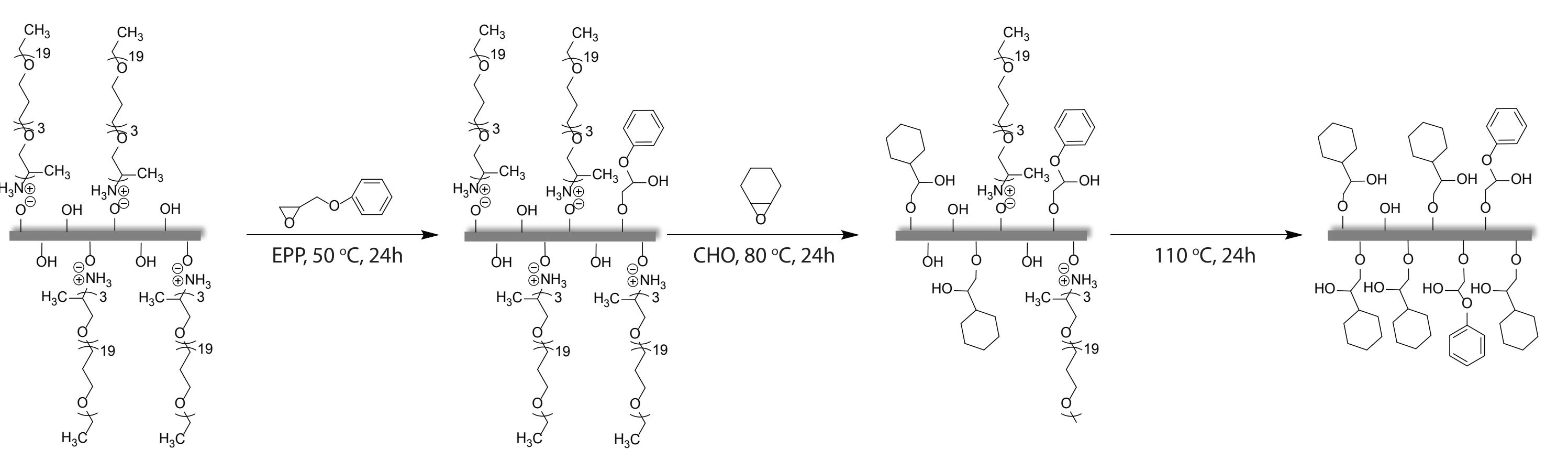


- Applications:**
- Gas barrier
  - Anti-corrosion

### Drawbacks:

- Low  $T_g$
- High CTE (at 35-100 °C)

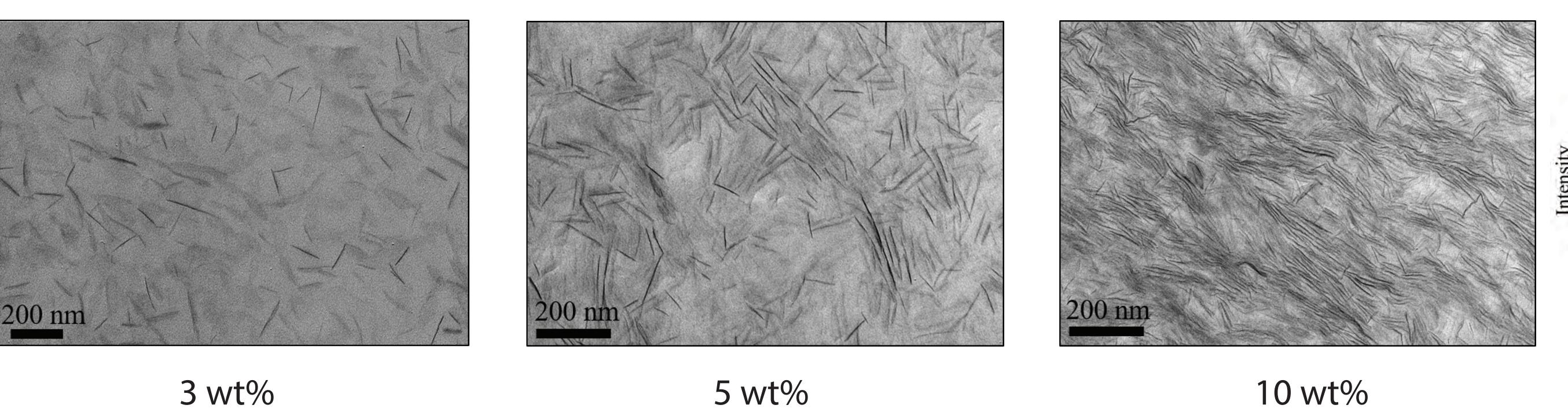
### ZrP Epoxide Modification



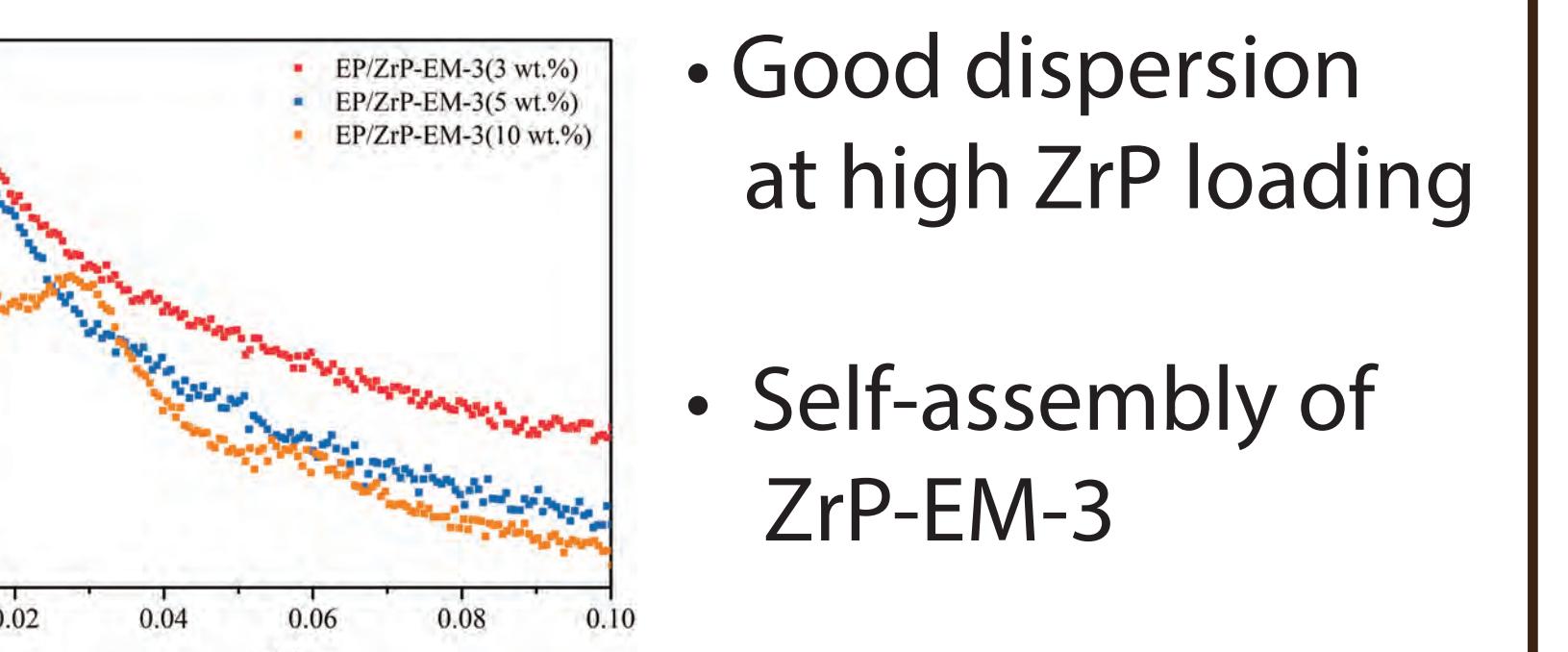
### Advantages:

- Stronger covalent bonds, more stable when heated
- $\pi-\pi$  interaction between modified ZrP and polymer, better dispersion

### Morphology



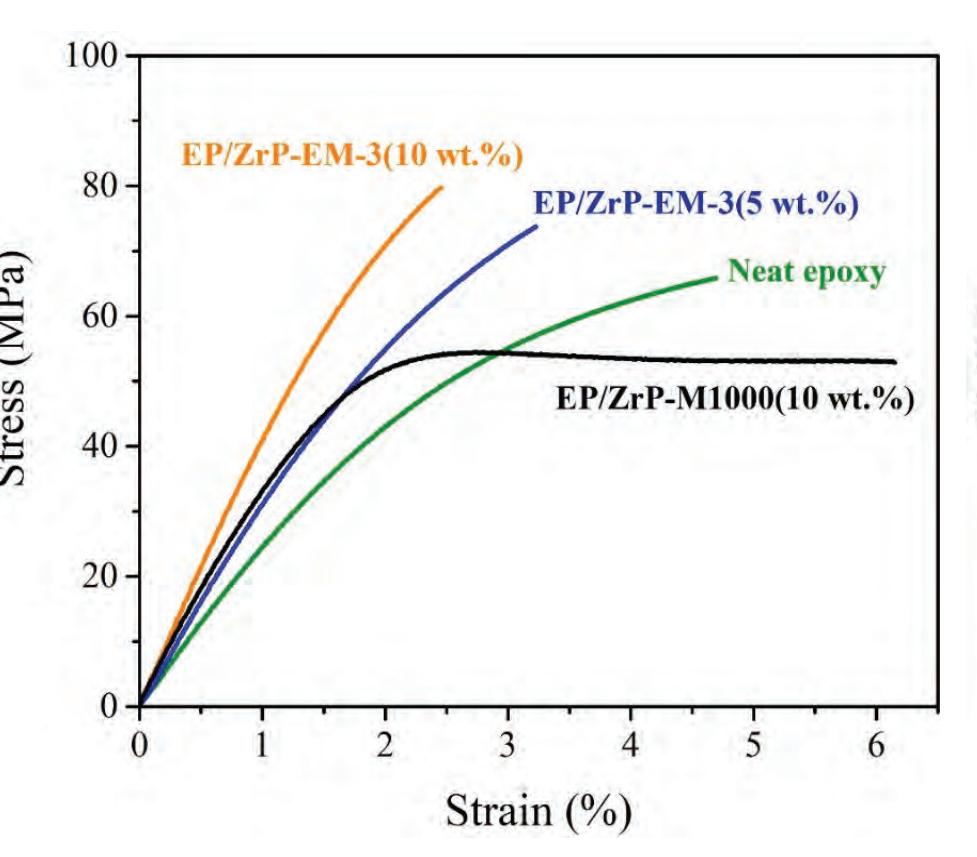
### SAXS



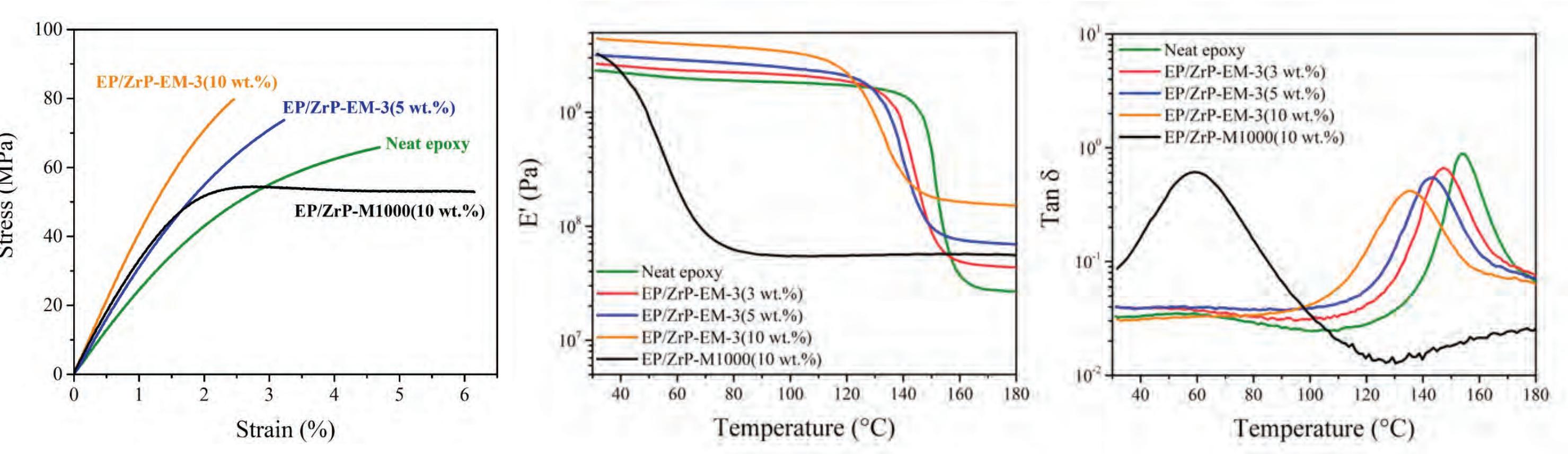
- Good dispersion at high ZrP loading
- Self-assembly of ZrP-EM-3

### Mechanical Properties

#### Tensile Test



#### Dynamic Mechanical Analysis

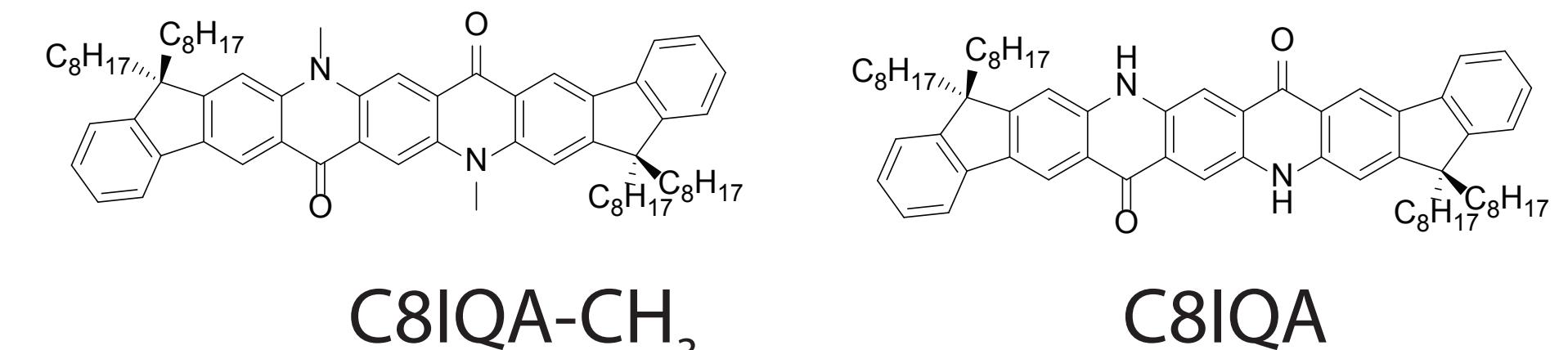


### Advantages:

- Increased Young's modulus
- Improved tensile strength
- Higher storage modulus at both room and high T
- High  $T_g$  maintained
- Significantly reduced thermal expansion coefficient

## Epoxy/Quinacridone composites

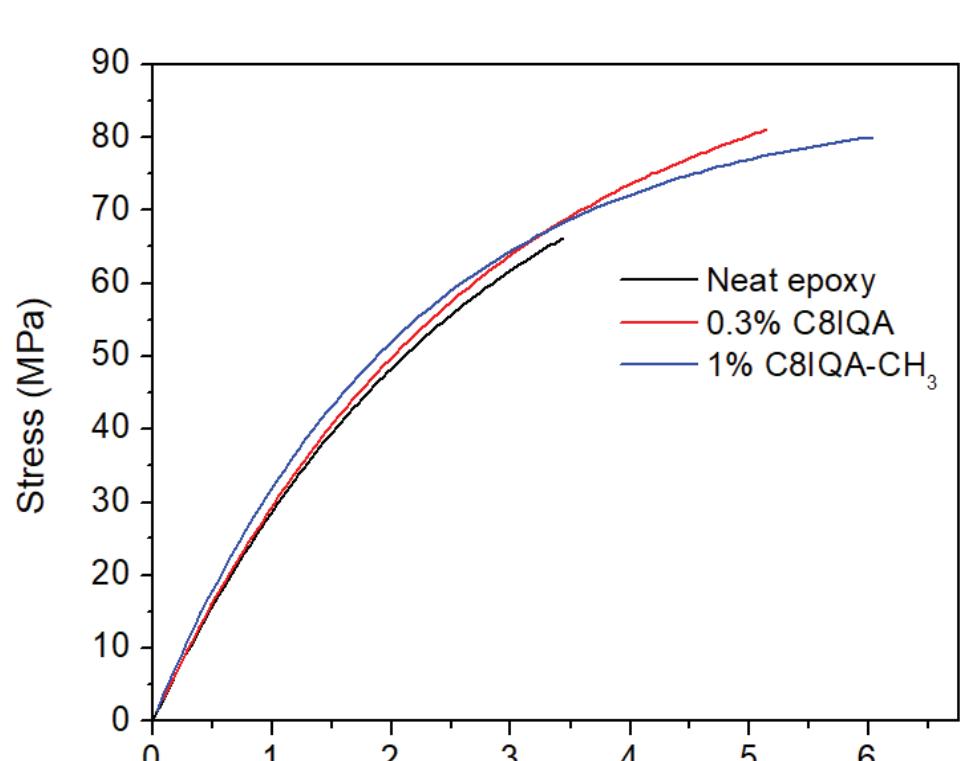
### Additives



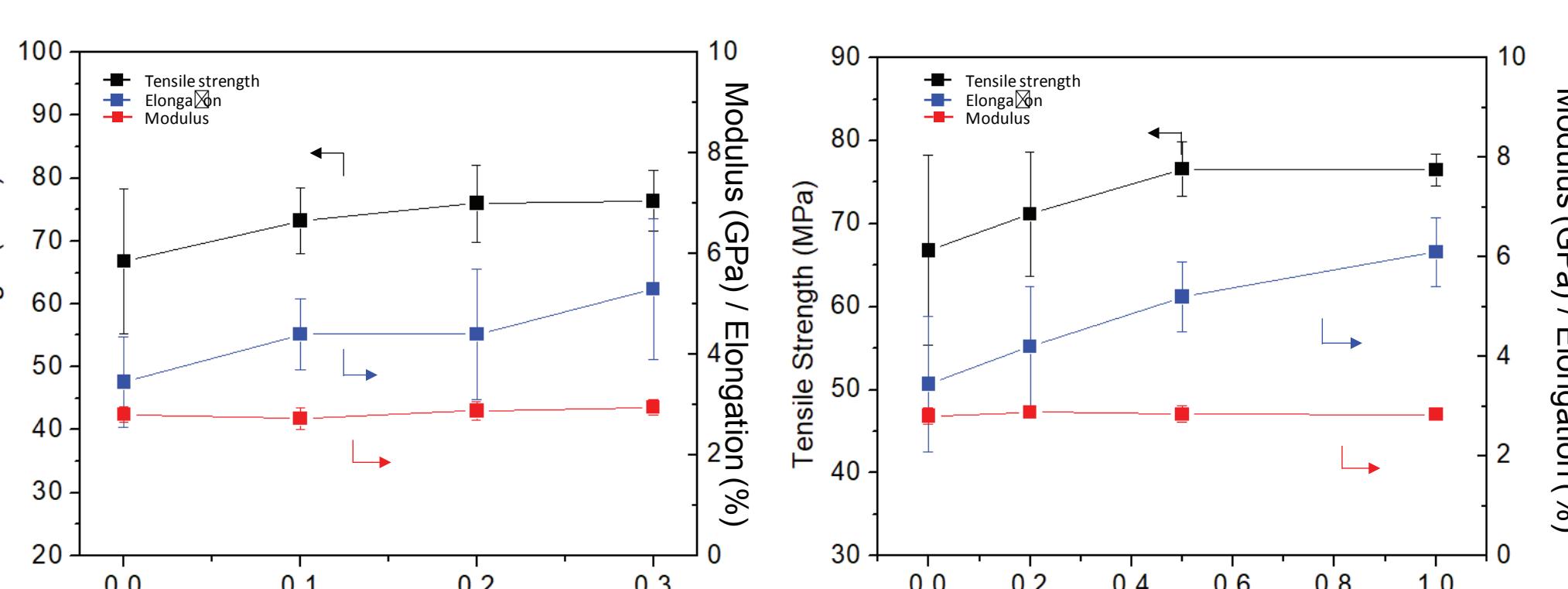
### Features:

- Fused-aromatic rigid backbone
- Long alkyl chains
- Solvent free processing

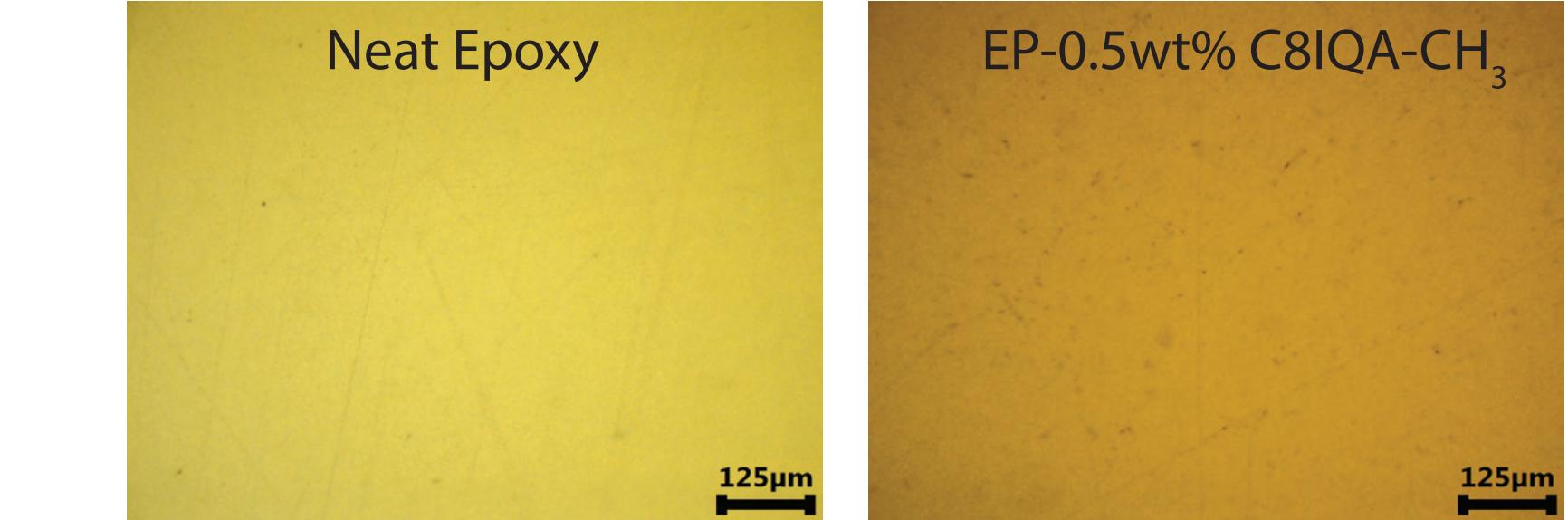
### Characterization



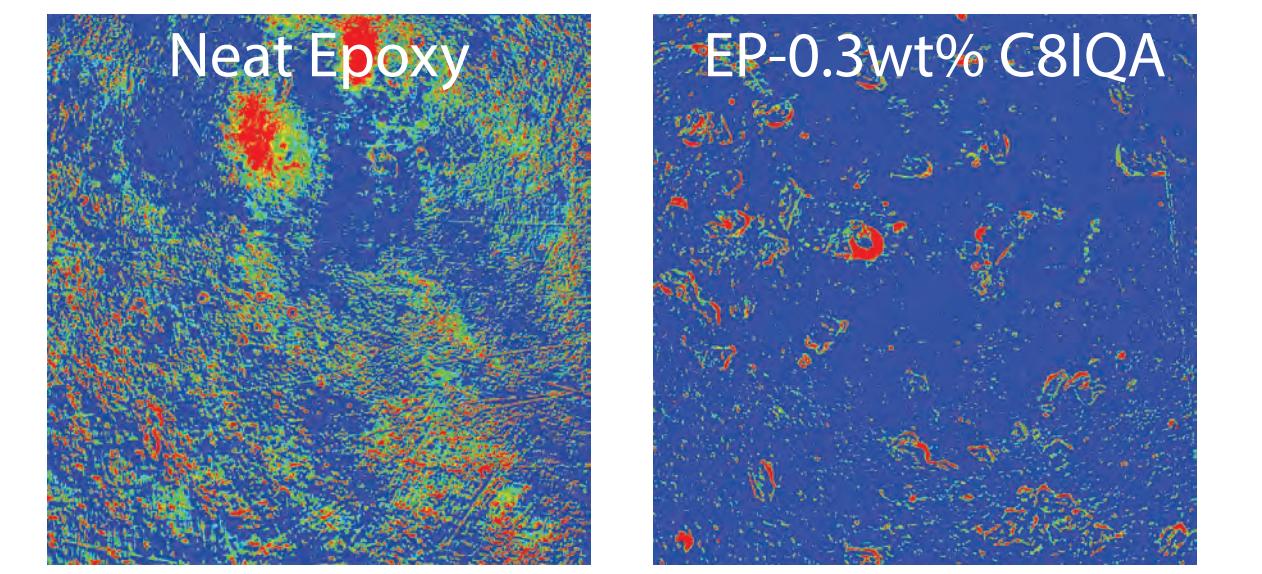
### Tensile Test



### Optical Microscope



### Thermoreflactance Spectroscopic



### Advantages:

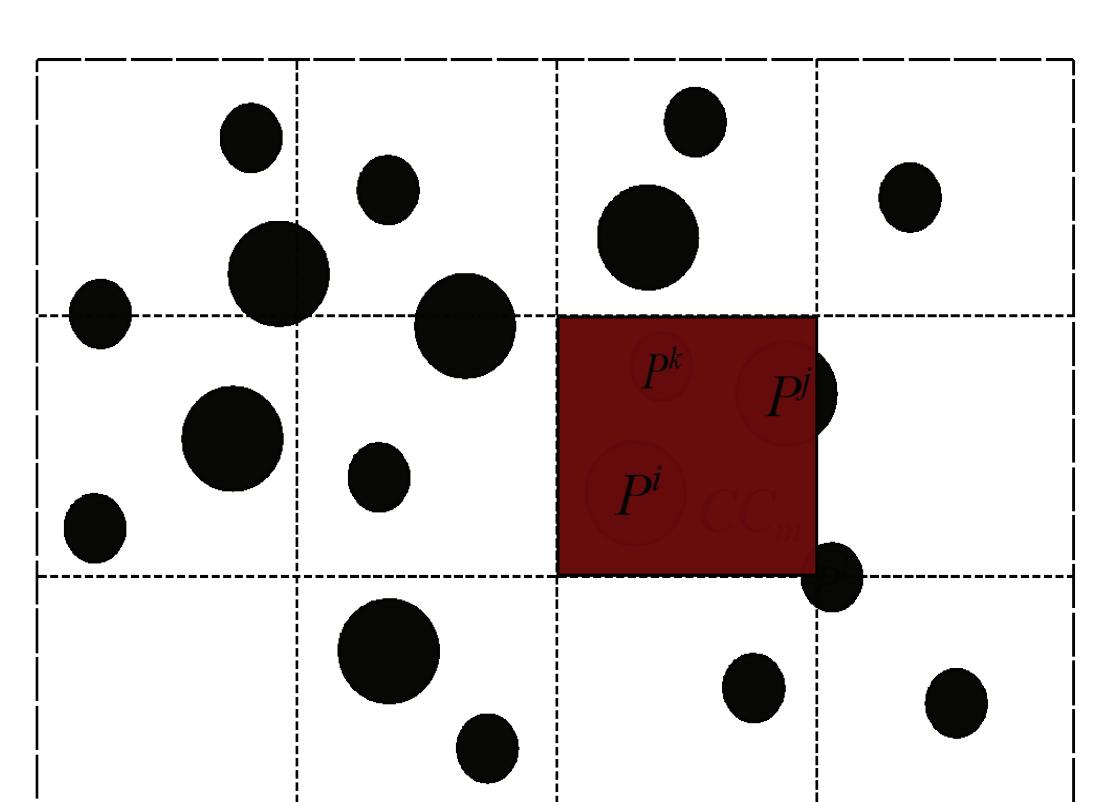
- Both tensile strength and elongation at break increased with IQA content
- No observable aggregation of IQA additives at 0.3 wt% for C8IQA and 1 wt% for C8IQA-CH<sub>3</sub>
- Better dispersion for IQA without hydrogen bonding

## Numerical Rheology Simulation

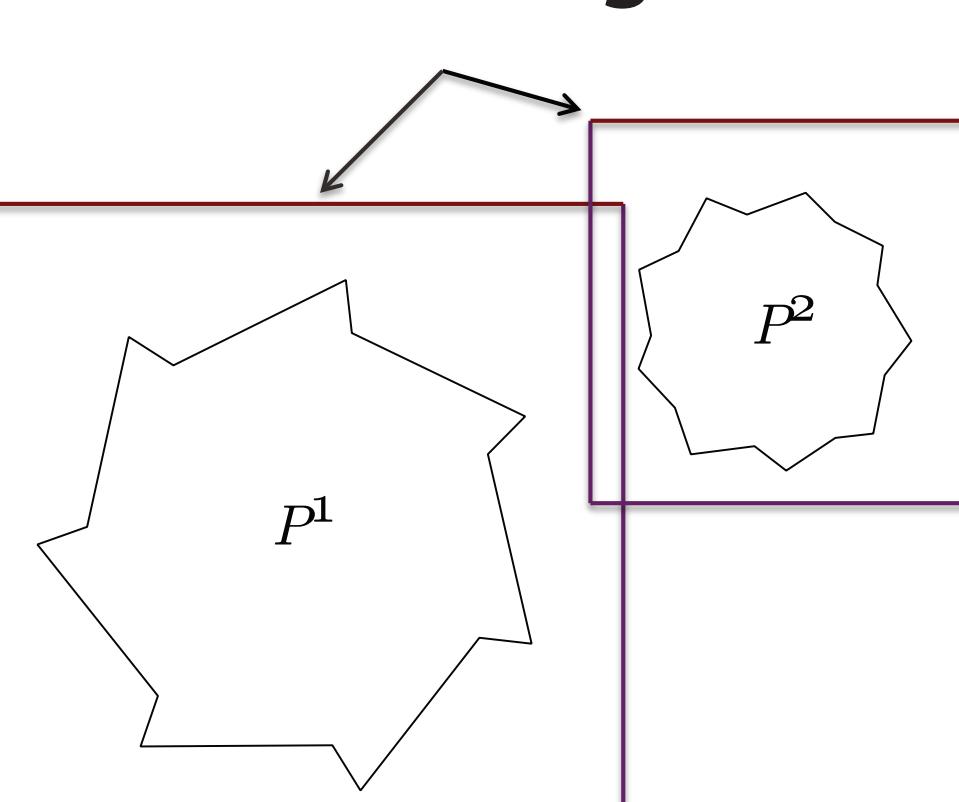
### Particle-particle Collision Detection Model

$$\begin{aligned} &\vec{e}_d = \frac{\vec{p}_i - \vec{q}_j}{|d_{\min}|} \\ &d_{\min} = \min \{ |p_i - q_j|, i=1, \dots, N^1, j=1, \dots, N^2 \} \\ &d_{\min} < d_{\text{critical}} \Rightarrow \text{Modify distance} \Rightarrow d'_{\min} = d_{\text{critical}} \\ &(\vec{U}_i^1 - \vec{U}_j^2) \cdot \vec{e}_d > 0 \Rightarrow \text{Modify velocity} \Rightarrow (\vec{U}_i^{r1} - \vec{U}_j^{r2}) \cdot \vec{e}_d = 0 \end{aligned}$$

### Control Cell



### Bounding Box

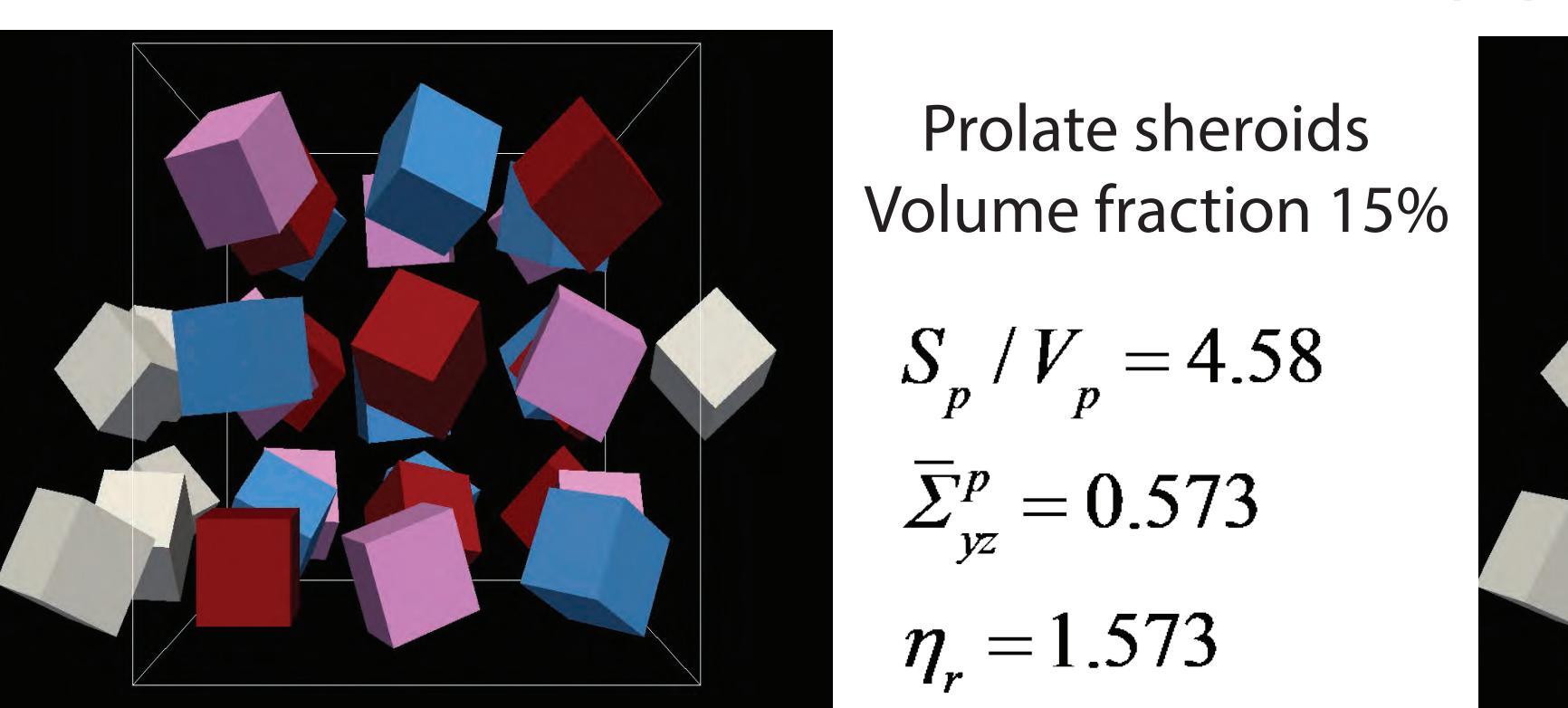


Only particles within each control box is considered for possible collision

### Advantages:

- Efficient numerical framework
- Works for suspensions of irregular-shaped particles
- Particle geometry is verified

### Influential Geometric Factors



$A_p/V_p$  Surface to volume ratio       $\bar{\Sigma}_{yz}^{p,s}$  Shear particle stress

Prolate spheroids Volume fraction 15%	$S_p/V_p = 4.58$	$\bar{\Sigma}_{yz}^p = 0.573$
Cubes Volume fraction 15%	$S_p/V_p = 10.39$	$\bar{\Sigma}_{yz}^p = 0.573$



@TheFangGroup

## Acknowledgement